

Preserving Privacies in Biomedical Data with “More Efficient” Differentially Private Algorithms

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■ Differential privacy algorithms and its applications

◆ Techniques

- ▶ Sensitivity analysis
- ▶ Bias reduction
- ▶ Multiple attributes
- ▶ k -anonymized differential privacy

◆ Applications

- ▶ Genome-wide association study
- ▶ Graph databases

Next Generation Sequencers (NGS)

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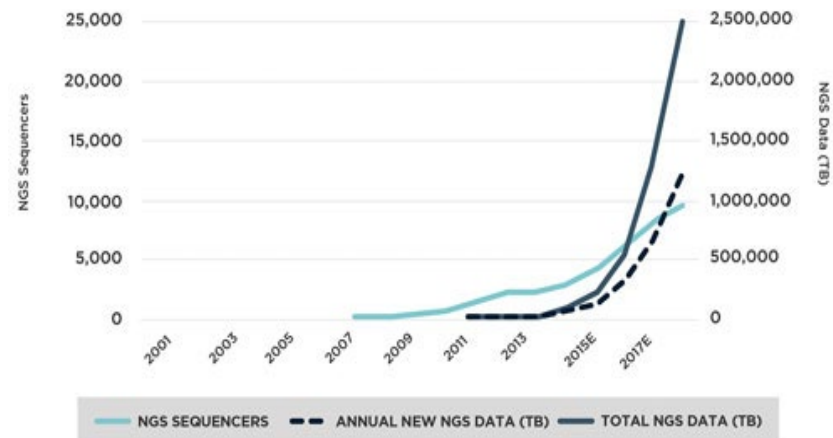
■ One of the greatest innovation in genome science

◆ Fast:

- ▶ 8Tbp / 1 day (Illumina NovaSeq X)
- ~60 individuals per day

◆ Cheap:

- ▶ 200–300 dollars per individual



[Davis-Dusenbery, 2017]

Genome Data Explosion

cf. Costed 3 billion dollars and 13 years in the Human Genome Project (~2003)

Illumina

NovaSeq X



<https://jp.illumina.com/systems/sequencing-platforms/novaseq-x-plus.html>

Oxford Nanopore

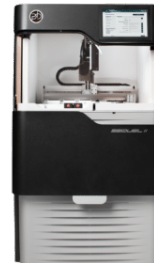
MinION



<https://nanoporetech.com/sites/default/files/s3/minion-usb.png>

PacBio

Sequel II



<https://www.pacb.com/products-and-services/sequel-system/latest-system-release/>

MGI

DNBSEQ-T20x2



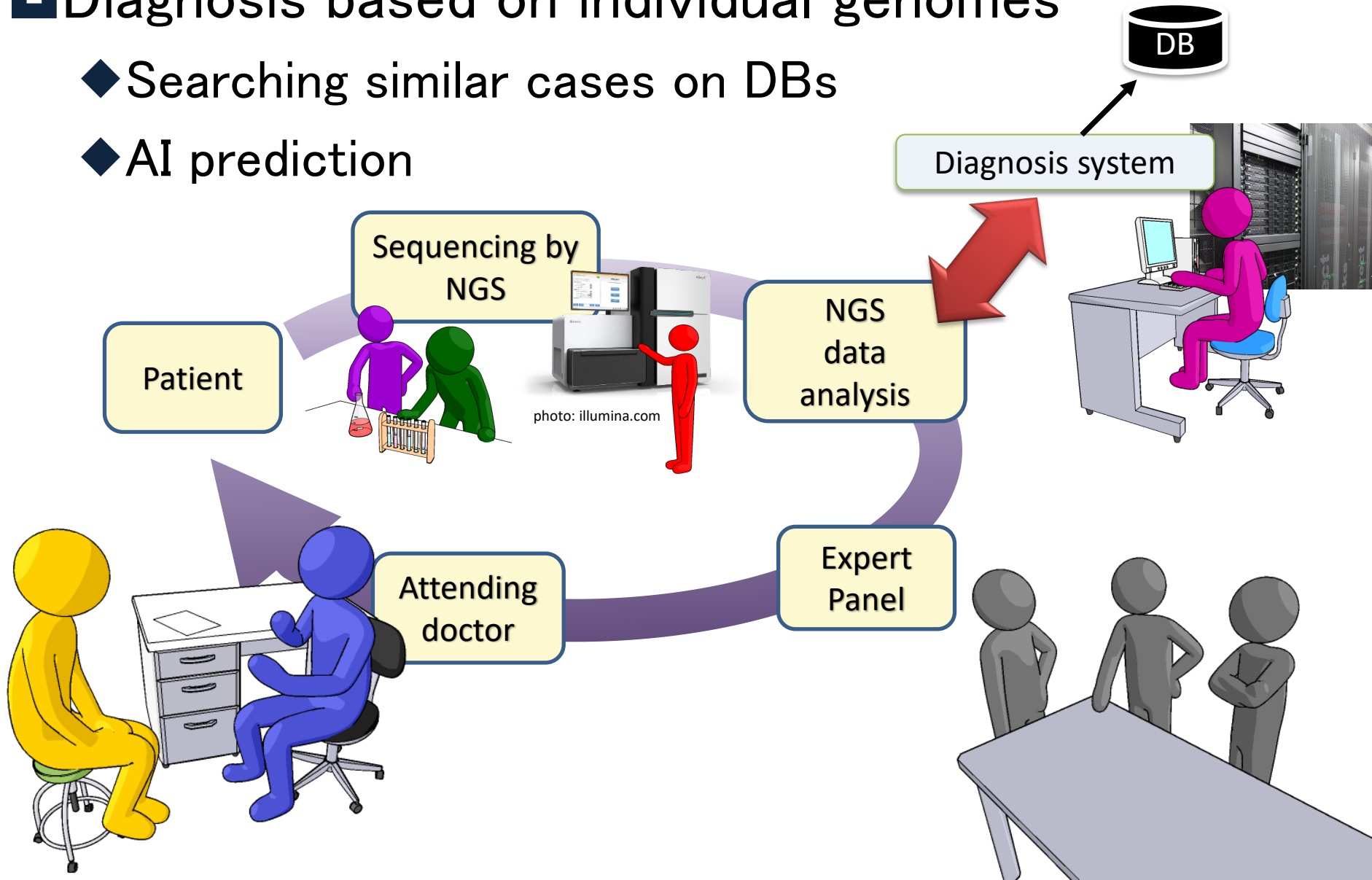
https://jp.mgi-tech.com/products/instruments_info/22/

Clinical Sequencing for Precision (Personalized) Medicine

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■ Diagnosis based on individual genomes

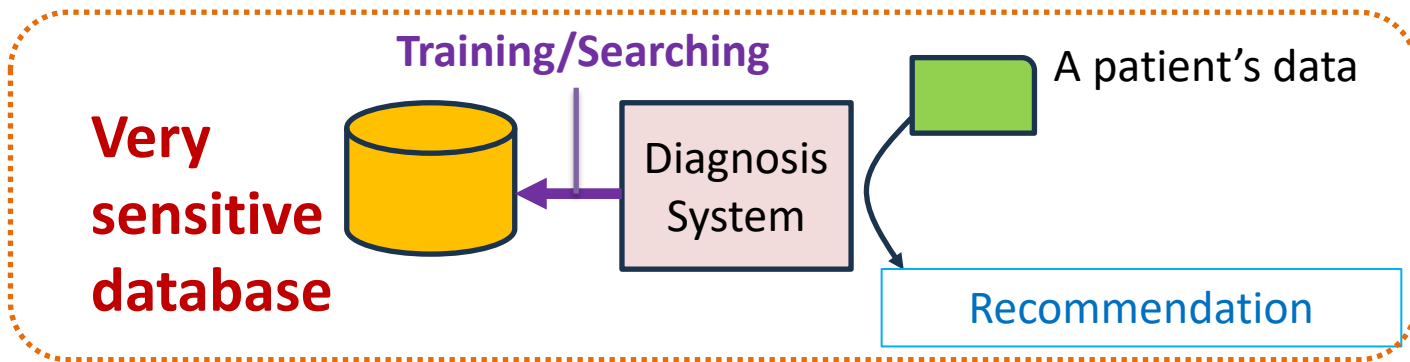
- ◆ Searching similar cases on DBs
- ◆ AI prediction



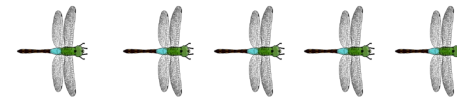
A Concern on Precision Medicine

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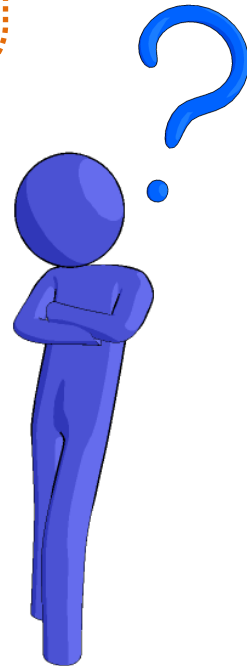
- It utilizes highly **sensitive data**
 - ◆ Including genomes of other people



Question

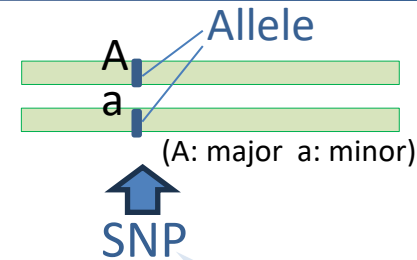


Can we assure that the recommendation does not contain any sensitive private information?



Example: Genotype Analysis using Pedigrees

T. Shibuya



Probabilities of possible genotypes x of Ms. X

◆ From only the parent information:

▶ $P(x = AA|\Phi) = 1/4, P(x = Aa|\Phi) = 1/2, P(x = aa|\Phi) = 1/4$

◆ Probabilities of children's genotypes under 3 possible cases

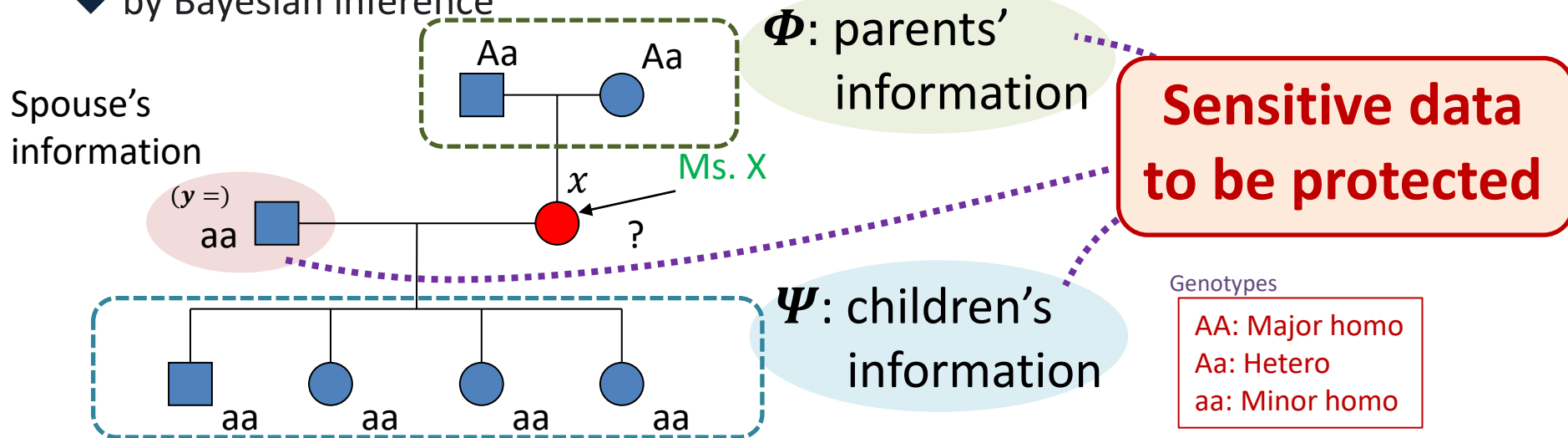
▶ $P(\Psi|x = AA, y = aa) = 0$

▶ $P(\Psi|x = Aa, y = aa) = 1/16$

▶ $P(\Psi|x = aa, y = aa) = 1$

Hence $P(x = AA) = 0, P(x = Aa) = 1/9, P(x = aa) = 8/9$

◆ by Bayesian inference



How secure is it to disclose the probabilities (i.e., 0, 1/9, 8/9) to Ms. X?

Technical Terms

■ DNA

- ◆ Chain polymer molecule composed of 4 types of nucleic acids:
A/T/C/G

■ Chromosomes

- ◆ DNA molecules in a cell
- ◆ We have 23 pairs of chromosomes (1–22 and X/Y)

■ SNPs (Single nucleotide polymorphisms)

- ◆ Specific positions with single nucleotide variations

■ Alleles

- ◆ Type of the nucleic acid at the SNP

■ Major/Minor Alleles

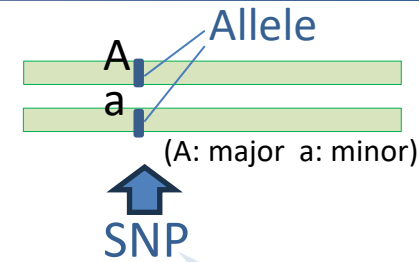
- ◆ The most common type of a SNP is called the **major** allele
- ◆ Other types are called **minor** alleles

■ Genotypes

- ◆ Pair of alleles at the SNP
- ◆ Called **homozygous** (or **homo**) if both alleles are the same
 - ▶ major homo/minor homo
- ◆ Called **heterozygous** (or **hetero**) otherwise

Example: Genotype Analysis using Pedigrees

T. Shibuya



Genotype of this SNP is Aa (Hetero)

Probabilities of possible genotypes x of Ms. X

From only the parent information:

$P(x = AA|\Phi) = 1/4, P(x = Aa|\Phi) = 1/2, P(x = aa|\Phi) = 1/4$

Probabilities of children's genotypes under 3 possible cases

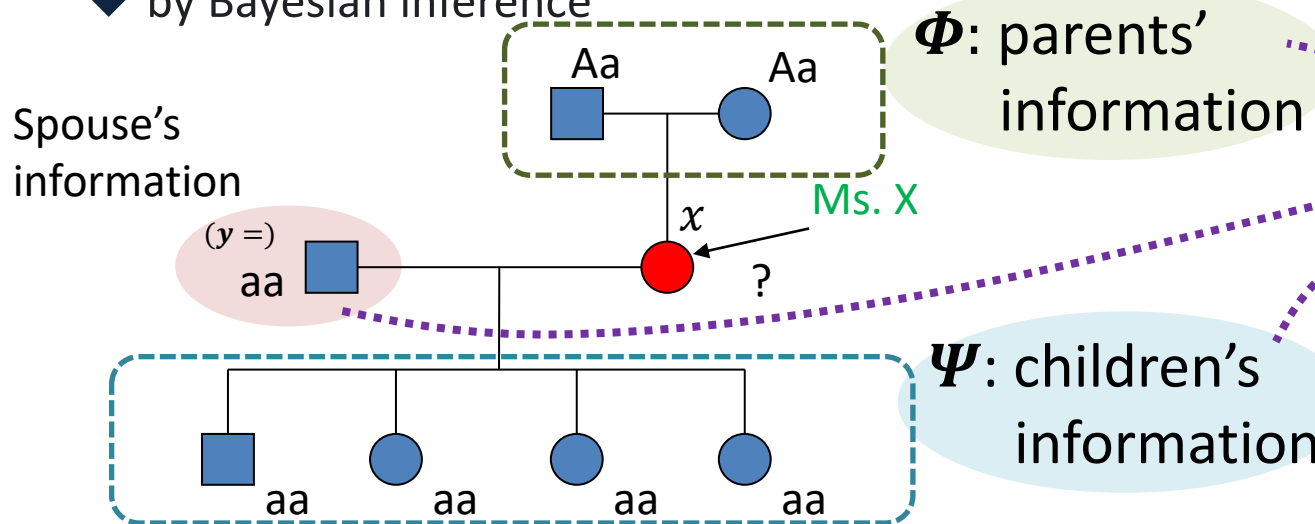
$P(\Psi|x = AA, y = aa) = 0$

$P(\Psi|x = Aa, y = aa) = 1/16$

$P(\Psi|x = aa, y = aa) = 1$

Hence $P(x = AA) = 0, P(x = Aa) = 1/9, P(x = aa) = 8/9$

by Bayesian inference



Sensitive data to be protected

Genotypes
AA: Major homo
Aa: Hetero
aa: Minor homo

Is it OK to disclose the probabilities (i.e., 0, 1/9, 8/9) to Ms. X?

It leaks much information!!

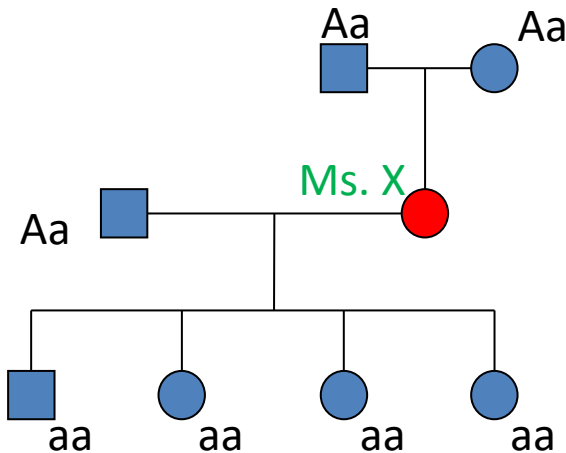
Given:

- ◆ Probabilities of Ms. X's possible genotypes are:

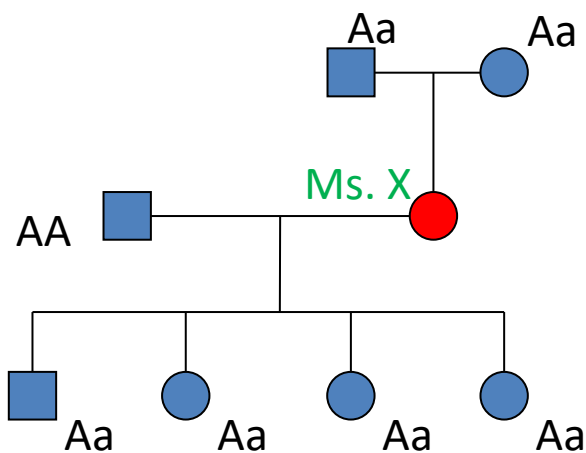
$$P(x = AA) = 0, P(x = Aa) = 1/9, P(x = aa) = 8/9.$$

Only 3 possible cases (as below) exist, which means:

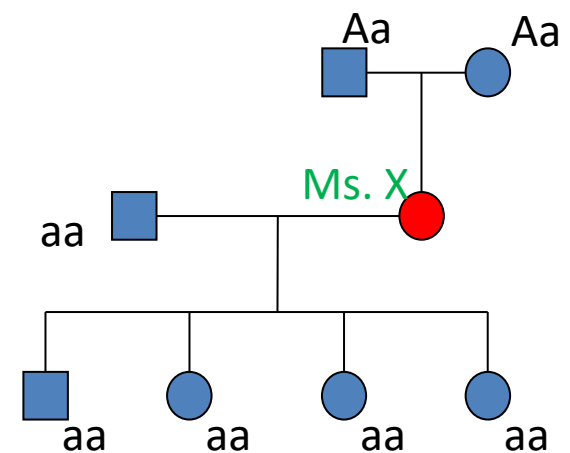
- ◆ Her parents' genotypes are revealed
- ◆ All the other genotypes are also be revealed, if she know her husband's genotype



Candidate 1



Candidate 2



Candidate 3

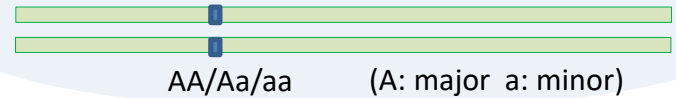
GWAS (Genome-Wide Association Study)

Statistical analyses for finding important genes/SNPs/etc.

	Case	Control
AA	p_{AA}	n_{AA}
Aa	p_{Aa}	n_{Aa}
aa	p_{aa}	n_{aa}

	Case	Control
A	p_A	n_A
a	p_a	n_a

Contingency Tables



SNPs/Variations/etc

GWAS Data

Contingency Tables

- Case-control table (2x2, 3x2, ...)
- Trio allele frequency table

Chi-square Test

Fisher's Test

Cochran-Armitage Test

Transmission disequilibrium test (TDT)



	Case	Control	Total
A	a	c	m
a	b	d	$N - m$
Total	$N/2$	$N/2$	N

	Case	Control	Total
A	a	b	m
a	c	d	$N - m$
Total	$N/2$	$N/2$	N

	Case	Control	Total
AA	a	c	m
Aa	b	d	$N - m$
aa	e	f	$N - m - a$
Total	$N/2$	$N/2$	N

	g1	g2	Total
g1	a	c	m
g2	b	d	$N - m$
Total	$N/2$	$N/2$	N

Top k significant SNPs



Further evaluation

■ No problem to publish these statistics?

◆ χ^2 test

$$\blacktriangleright \chi^2 = \frac{N(2a-m)^2}{m(N-m)}$$

◆ Fisher's independence test

$$\blacktriangleright p = \frac{\binom{m}{a} \binom{N-m}{c}}{\binom{N}{m}}$$

◆ Cochran-Armitage's trend test

$$\blacktriangleright \chi^2 = \frac{N(2m+n-2(2a+b))^2}{N(4m+n)-(2m+n)^2}$$

◆ Top k significant genes

▶ Output genes with the k largest test values

Predictable?

	Case	Control	Total
A	a	c	m
a	b	d	N - m
Total	N/2	N/2	N

Independent?

	Case	Control	Total
A	a	b	m
a	c	d	N - m
Total	N/2	N/2	N

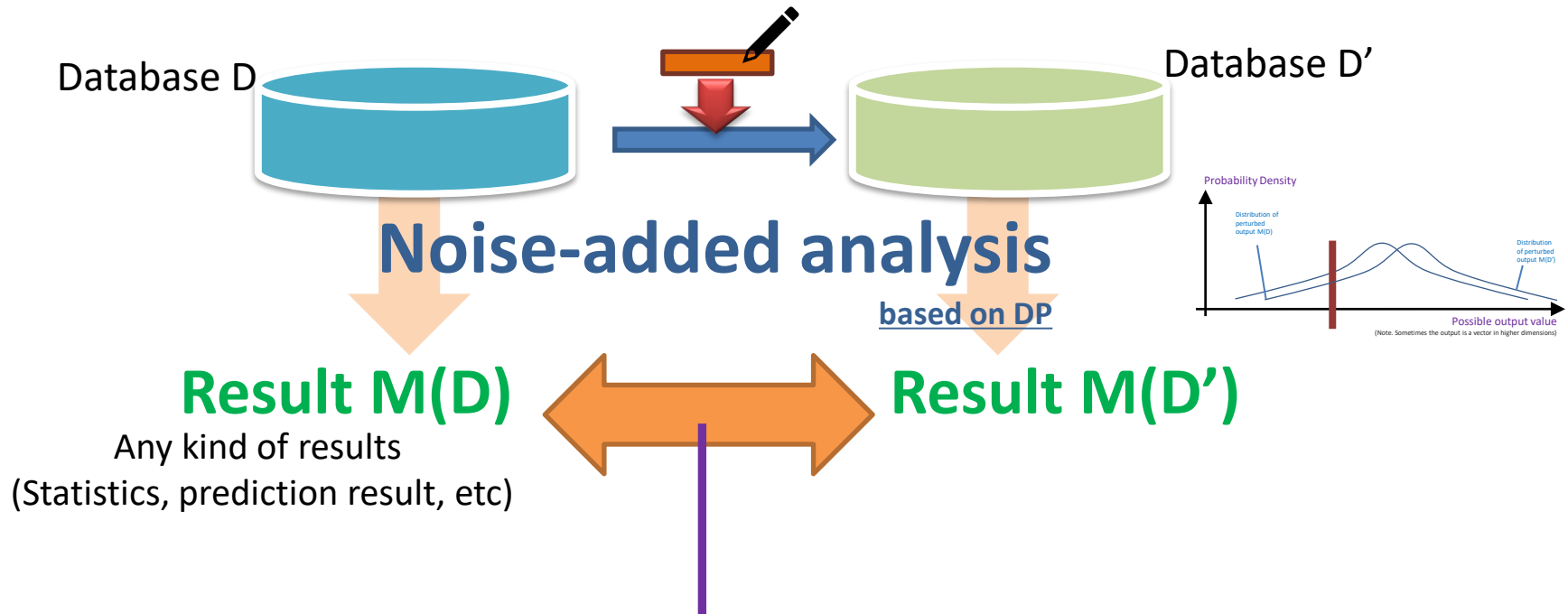
	Case	Control	Total
AA	a	d	m
Aa	b	e	n
aa	c	f	N - m - n
Total	N/2	N/2	N

Contingency Tables

■ Noise addition strategy for preserving privacy

◆ Differential privacy is satisfied if:

One entry difference
(insertion/deletion/update)



M(D) and M(D') is probabilistically indistinguishable.

■ Noise mechanism M is said to be ϵ -differentially private *iff*

◆ for any two databases D and D' s.t., $|D - D'| = 1$

▶ *i.e.*, one entry difference

◆ for any output set S

▶ $\Pr[M(D) \in S] \leq e^\epsilon \cdot \Pr[M(D') \in S]$

➤ ϵ : **Privacy budget**

Probability Density

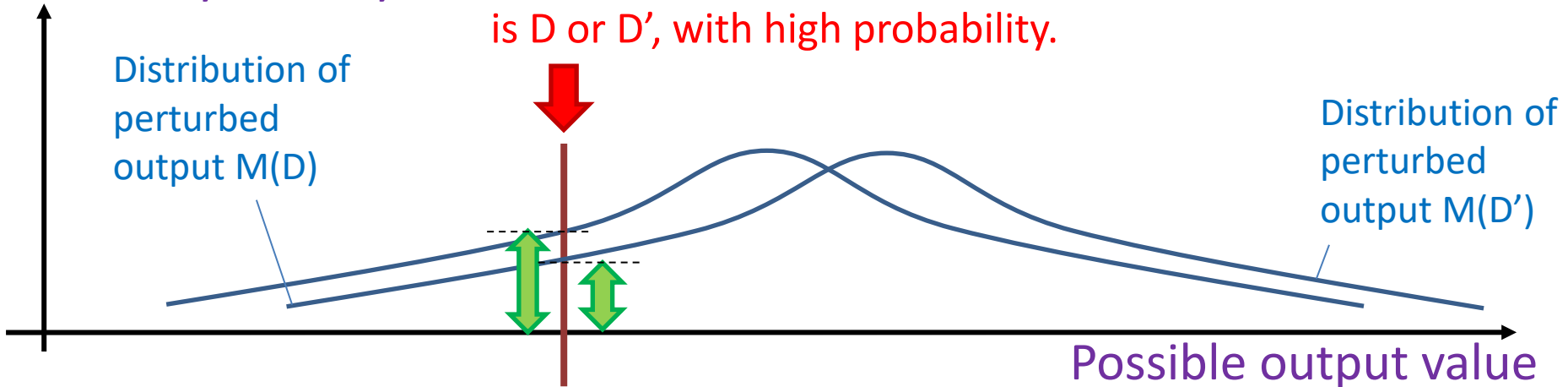
Distribution of perturbed output $M(D)$

No one can decide whether the original database is D or D' , with high probability.

Distribution of perturbed output $M(D')$

Possible output value

(Note. Sometimes the output is a vector in higher dimensions)



■ Add noises following the Laplace distribution:

$$\blacklozenge \frac{\varepsilon}{2S} e\left(-\frac{|x-\mu|}{S}\varepsilon\right)$$

▶ μ : actual output

ε : parameter for ε -differential privacy

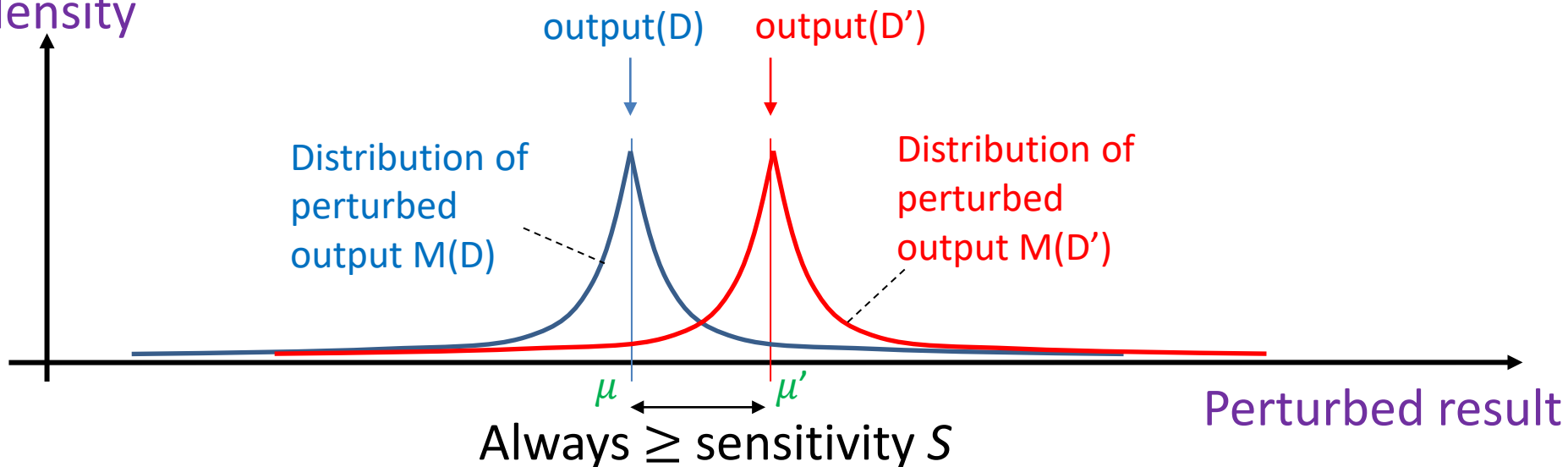
▶ S : Sensitivity (Minimum difference between output(D) and output(D'))

($|D-D'|=1$)

■ Then

$$\blacklozenge \Pr[M(D) \in S] \leq e^\varepsilon \cdot \Pr[M(D') \in S] \quad \text{for any } D \text{ and } D'$$

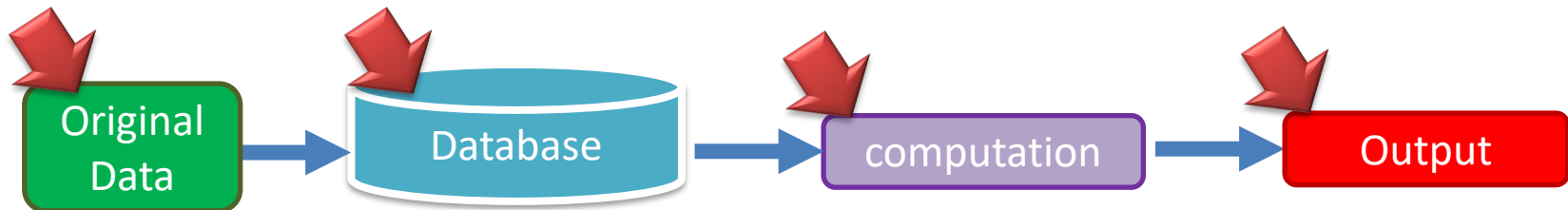
Probability density



Flexible applications

◆ Noise can be added at any stage

- ▶ Local data before uploading / database / algorithm inside / output results / trained parameters / etc.



- More noise
- For general use
- Easier to Design



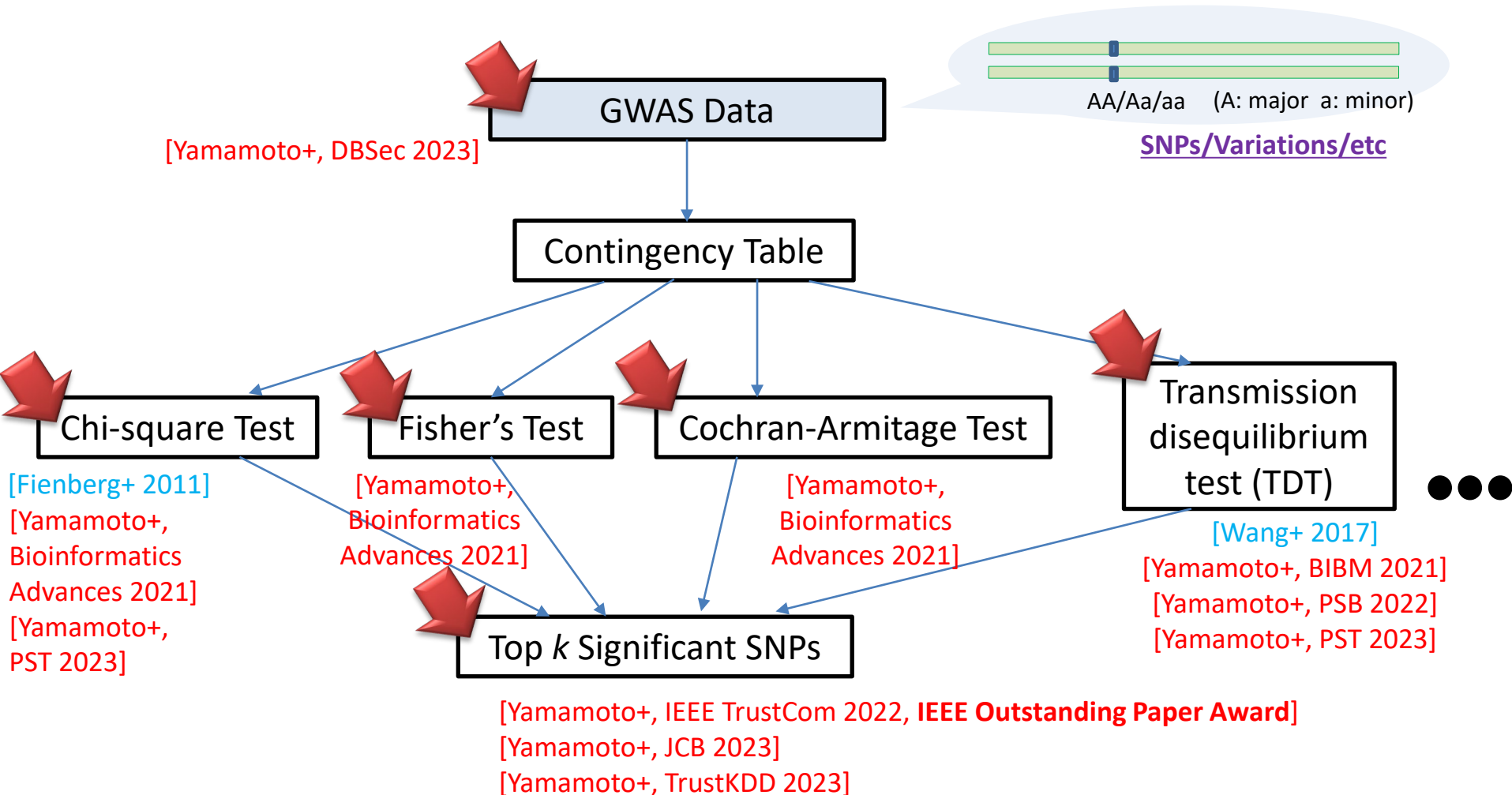
- (Possibly) less noise
- For specific use
- Difficult to design (in general)

Robustness against attacks

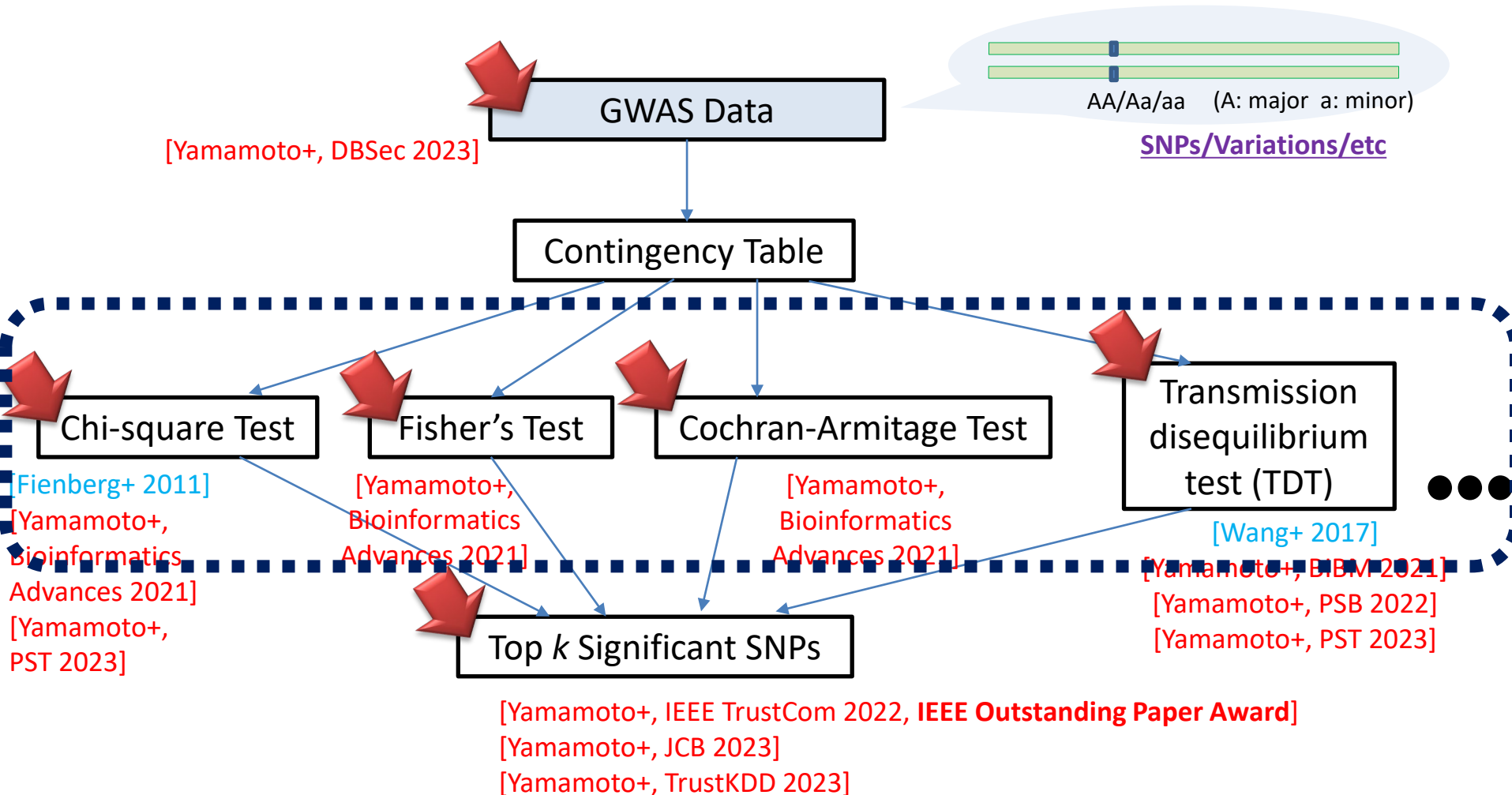
◆ Any postprocessing on already ϵ -differentially private data is kept to be ϵ -differentially private

- ▶ i.e., **Theoretically** no one can break ϵ -differential privacy!

■ Differentially Private Mechanism Design for GWAS



Differentially Private Mechanism Design for GWAS



Sensitivity Analyses for Laplace Mechanism for GWAS Tests

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■ Sensitivity of the χ^2 test

◆ $S = 4N / (N + 4)$ [Fienberg+ 2011]

◆ Sensitivity of $\log_{10}(\text{P-value})$

▶ 2.33 (i.e., constant)

■ Sensitivity of the Fisher's independence test

◆ $S = \frac{N(7N-6)}{32(N-1)(N-3)}$

■ Sensitivity of the Cochran-Armitage's trend test

◆ $S = \frac{16N(N^2+6N+4)}{(N+18)(N^2+8N-4)}$

...

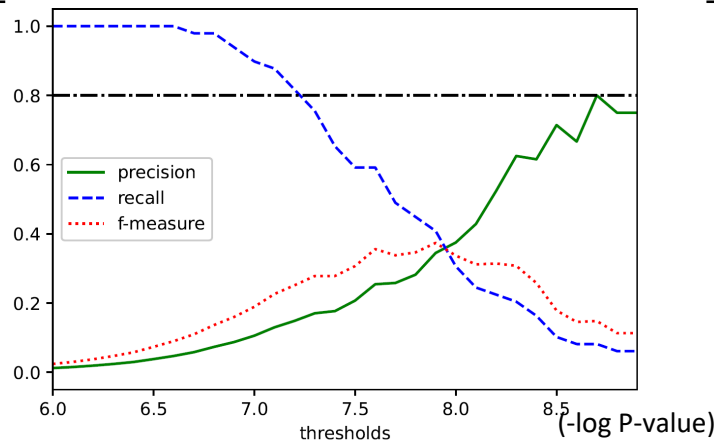
	Case	Control	Total
A	<i>a</i>	<i>c</i>	<i>m</i>
a	<i>b</i>	<i>d</i>	<i>N - m</i>
Total	<i>N/2</i>	<i>N/2</i>	<i>N</i>

	Case	Control	Total
AA	<i>a</i>	<i>d</i>	<i>m</i>
Aa	<i>b</i>	<i>e</i>	<i>n</i>
aa	<i>c</i>	<i>f</i>	<i>N - m - n</i>
Total	<i>N/2</i>	<i>N/2</i>	<i>N</i>

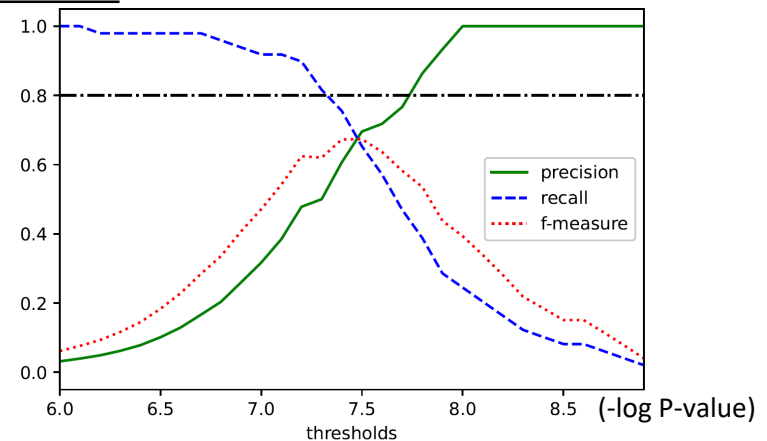
Contingency Tables

Our Result
[Yamamoto+,
Bioinfor. Adv. 2021]

$\epsilon = 7.0$

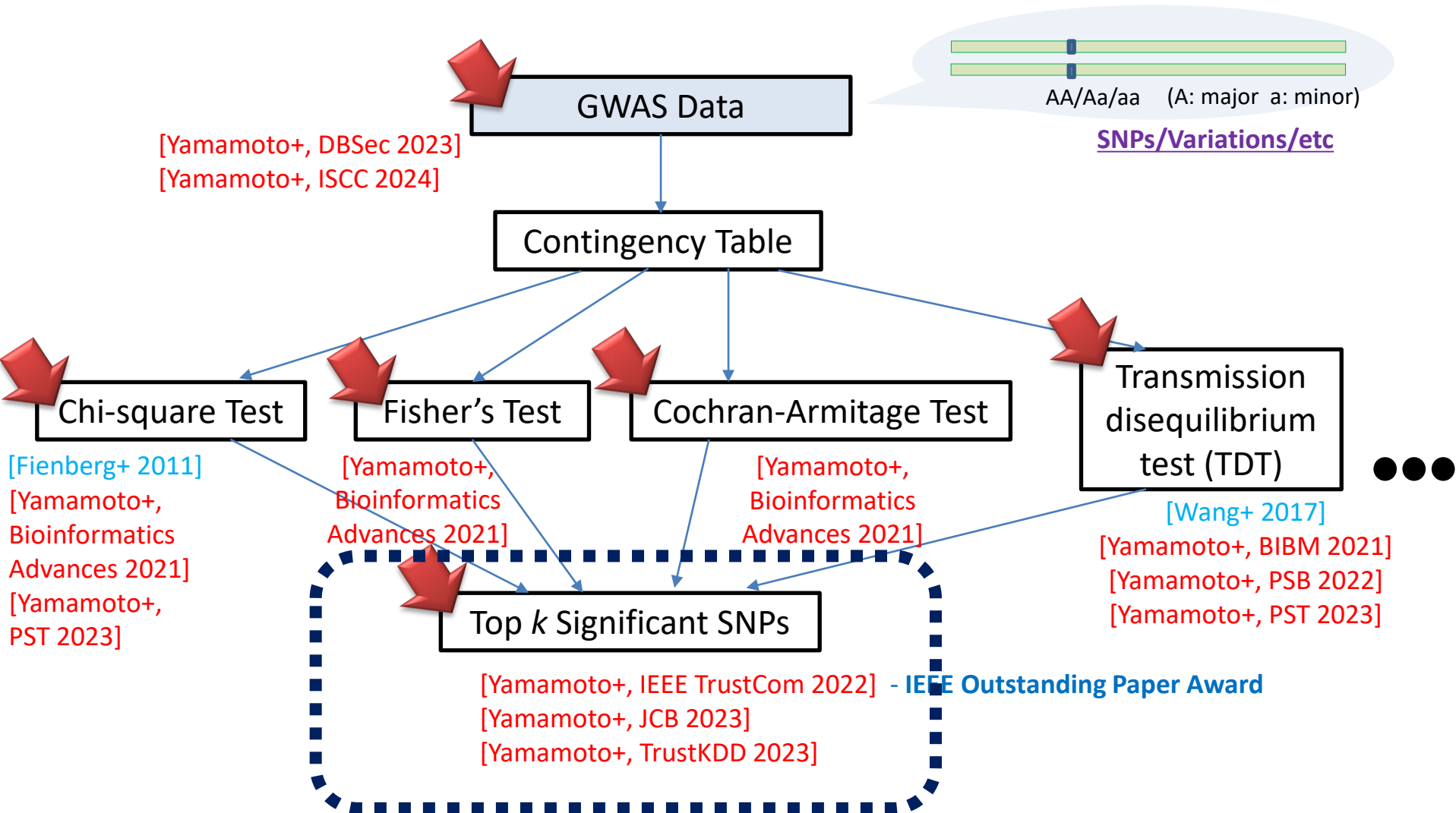


$\epsilon = 10.0$



Trade-off between privacy and accuracy in Fisher's Test

Differentially Private Mechanism Design for GWAS



■ We can obtain the DP top k significant SNPs by adding DP noise to each SNP value, but it does not work well.

◆ as we need to add \sqrt{n} times larger noise – **TOO LARGE!**

▶ than the case of publishing a single SNP result

▶ n : Number of SNPs

$-\log P$ values	SNPs
103.55	X
87.64	Y
53.37	Z
49.55	W
47.32	V
42.20	U
...	...

output the 3-most significant genes



X, Y, Z

SNPs sorted by P-values

■ We can reduce it to $O(\sqrt{k})$ in case we publish only k **specific pre-determined** SNPs data.

◆ $k \ll n$

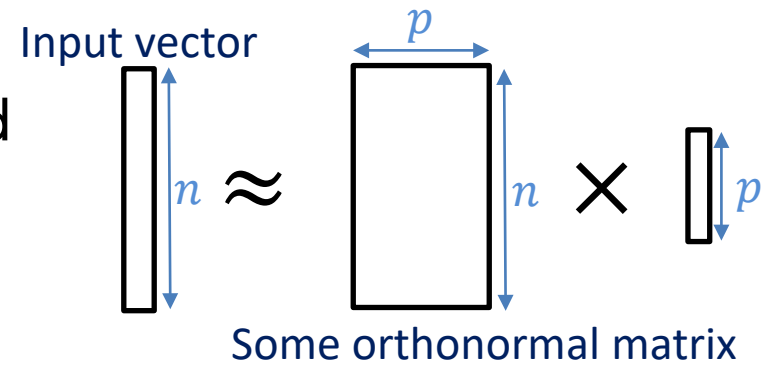
◆ But we cannot know which to publish beforehand

$-\log P$ values	SNPs
103.55	X
87.64	Y
53.37	Z
49.55	W
47.32	V
42.20	U
...	...

Output P-values of 3 Specific SNP data

Assumption

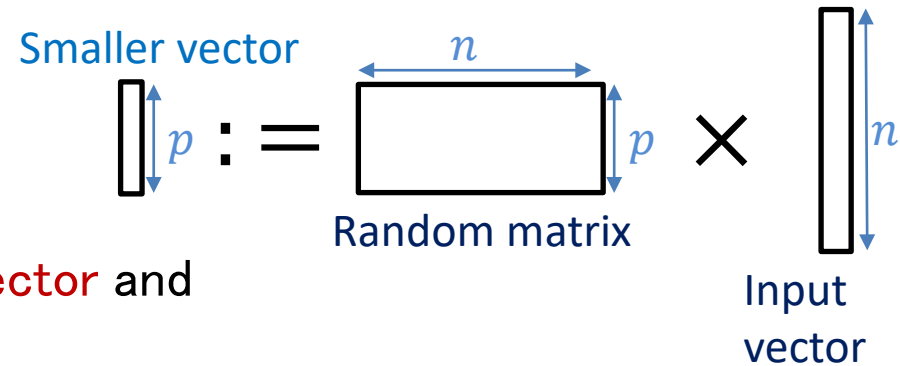
- ◆ It can be approximately represented by a very small vector



Compressed sensing

- ◆ Find a representative small vector by **random projection**

▶ Appropriate p must be given



Compressive Mechanism

- ◆ **Add noise to the smaller projected vector** and reconstruct the original vector!

◆ Pros

▶ Noise size can be $O(\sqrt{p})$ instead of $O(\sqrt{n})$

◆ Cons

▶ Very slow, and **it cannot be applied to the entire SNPs data**

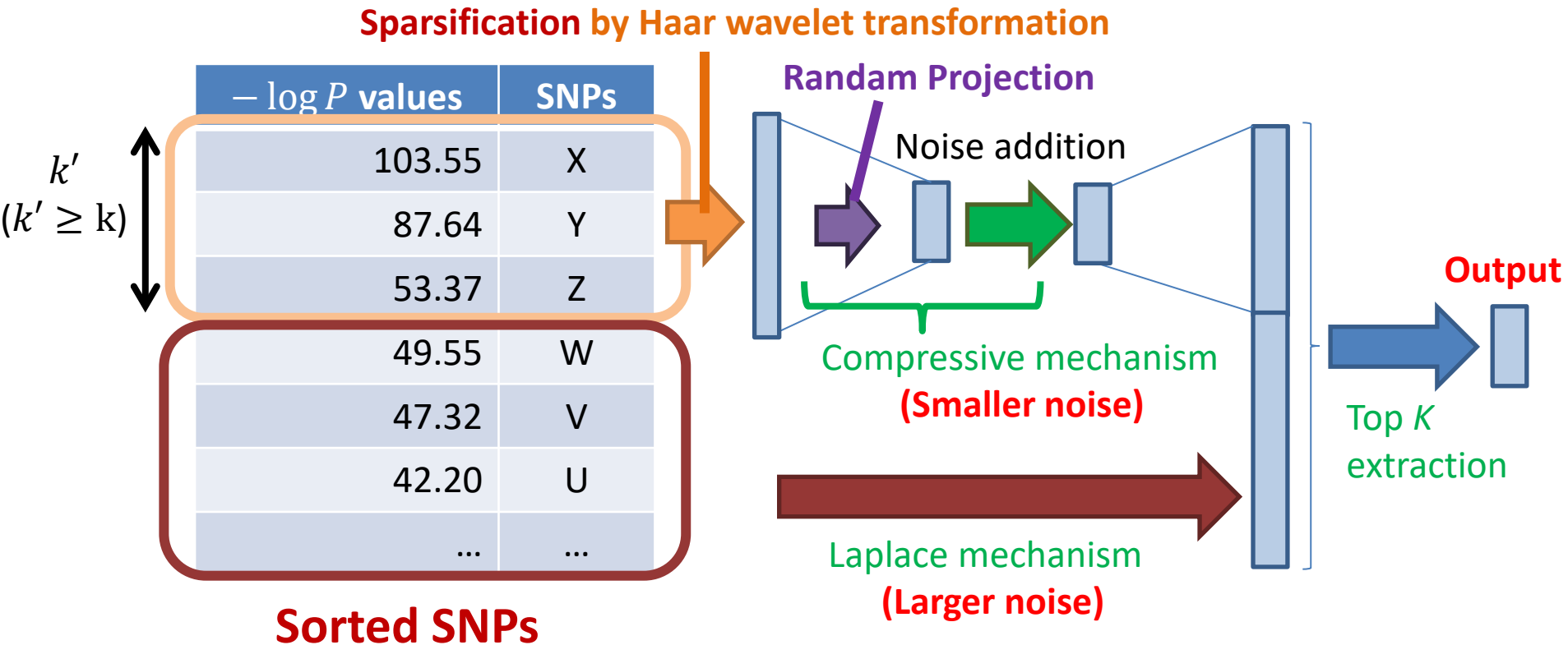
▶ Works well only for only **sparse data**

➢ Could contain more **errors** if not

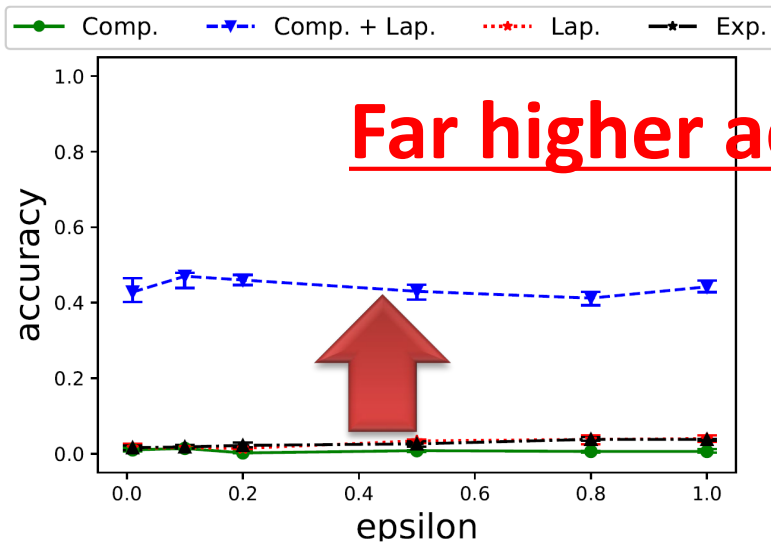
Enhanced compressive mechanism

- ◆ Add smaller noise to top-rank SNPs by compressive mechanism
 - ▶ after sparsification by Haar wavelet transformation
- ◆ Add Laplace noise to other SNPs
- ◆ Merge them and extract top k SNPs
 - ▶ 2x noise needed, but still better than just applying only Laplace mechanism

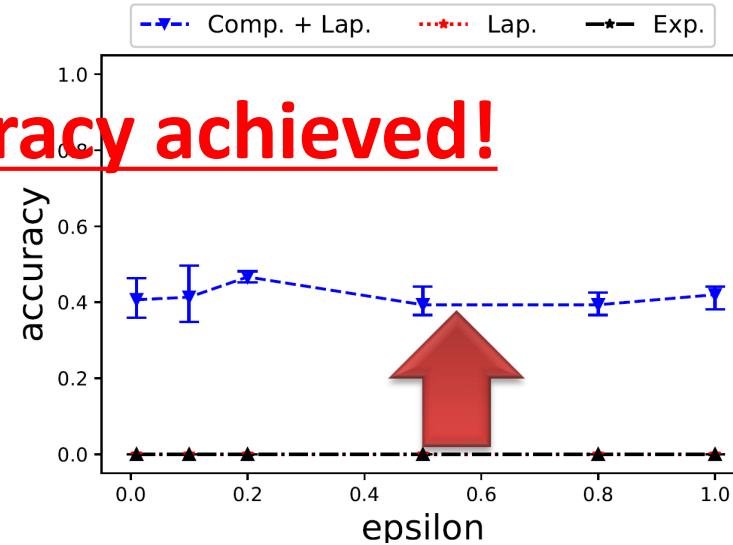
The output is still ϵ -differentially private



■ The top-10 significant SNPs



Simulated Data (#SNPs=500)



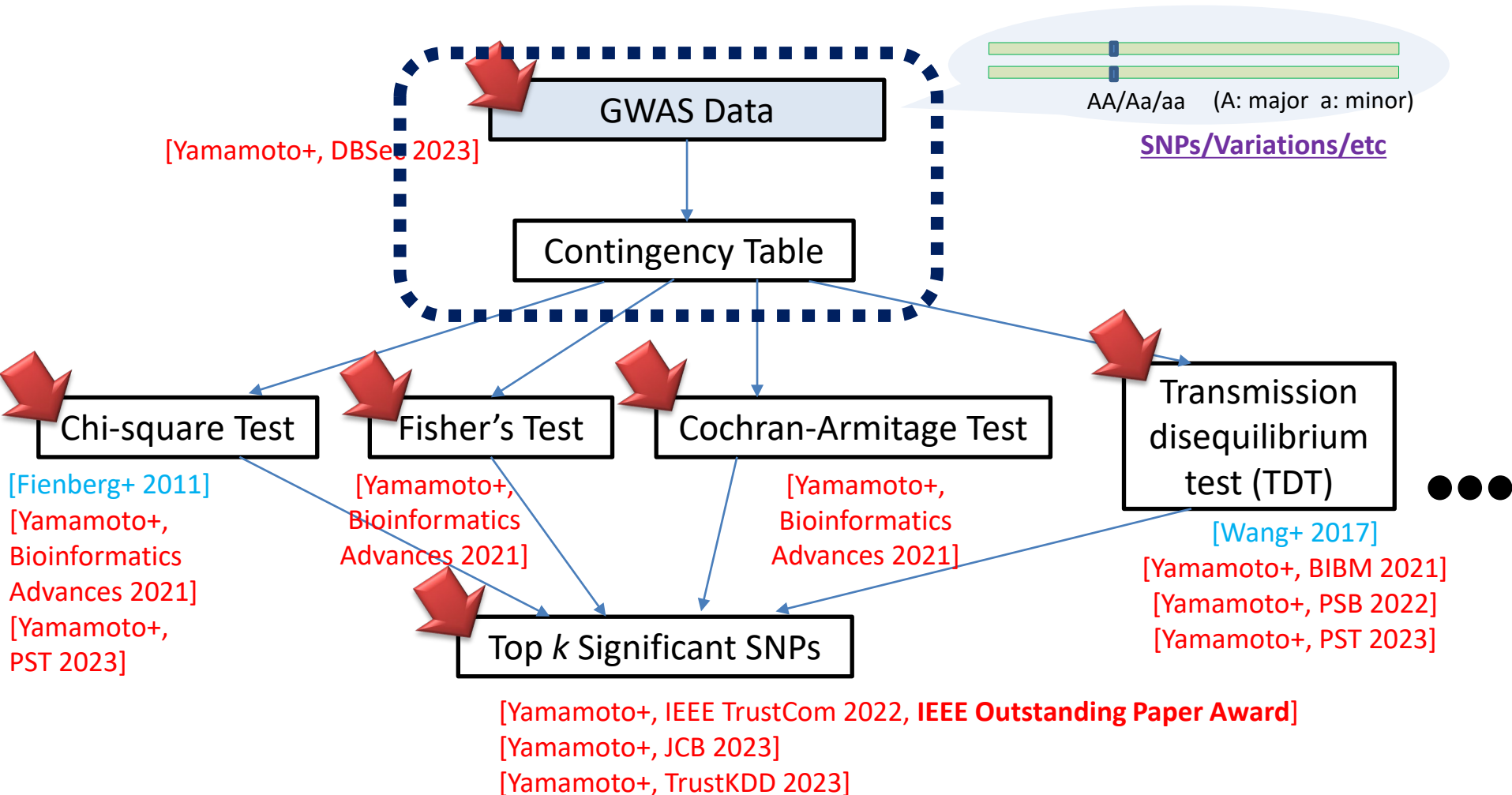
Simulated Data (#SNPs=25,000)

Far higher accuracy achieved!

■ Running time (sec)

Mechanism	#SNPs=500	#SNPs=25,000
Ours (Comp+Lap)	2.96	7.9x10³
Compressive	6.52	- (Takes too much time)
Laplace	2.9x10 ⁻⁴	5.6x10 ⁻³
Exponential	1.6x10 ⁻³	7.8x10 ⁻²

■ Differentially Private Mechanism Design for GWAS



▣ Local differential privacy [Kasviswanathan et al., 2008]

◆ Add noise to all the data labels ‘locally’

- ▶ No one (except for the data owner) can see the original data, while **we can do any analysis** on the published noise-added data

▣ Strategies

◆ Ordinary DP mechanisms for numerical data

- ▶ e.g., Laplace mechanism

◆ **Random response** for label data [Warner+ 65]

- ▶ Changing labels probabilistically

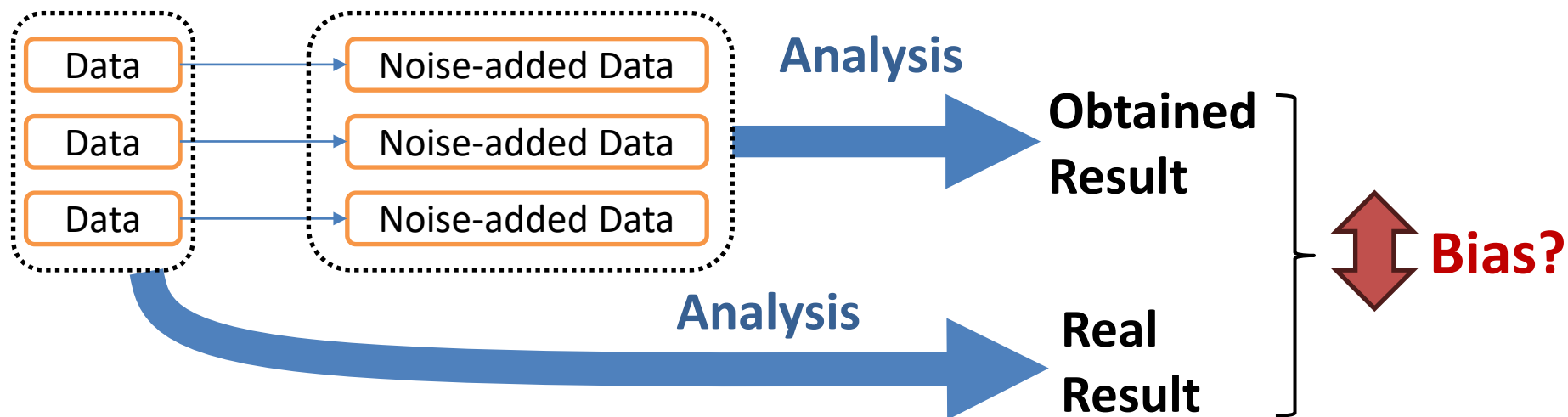
- e.g., flipping 0/1 probabilistically for 0/1 data

	0	1
0	$1 - \alpha$	α
1		$1 - \alpha$

$$\left(\alpha = \frac{1}{e^\epsilon + 1}\right)$$

Distortion matrix

- Local differential privacy schemes could cause biases
- Debiasing methods
 - EM-algorithm for random response
 - RAPPOR [Erlingsson+ 14]
 - GWAS contingency table [Yamamoto+ 23]
 - Debiasing polynomial functions for Laplace noise
 - k -star counting on graphs [Hillebrand+ 23]



- Consider attribute pair as a single attribute to reduce noise
- EM algorithm to improve accuracy
 - ◆ Compute $\operatorname{argmax}_{P,Q,R,S} \operatorname{Prob}(P', Q', R', S' | P, Q, R, S)$

	Case	Control
Major	P	Q
Minor	R	S

Randomized
Response



Expectation
Maximization

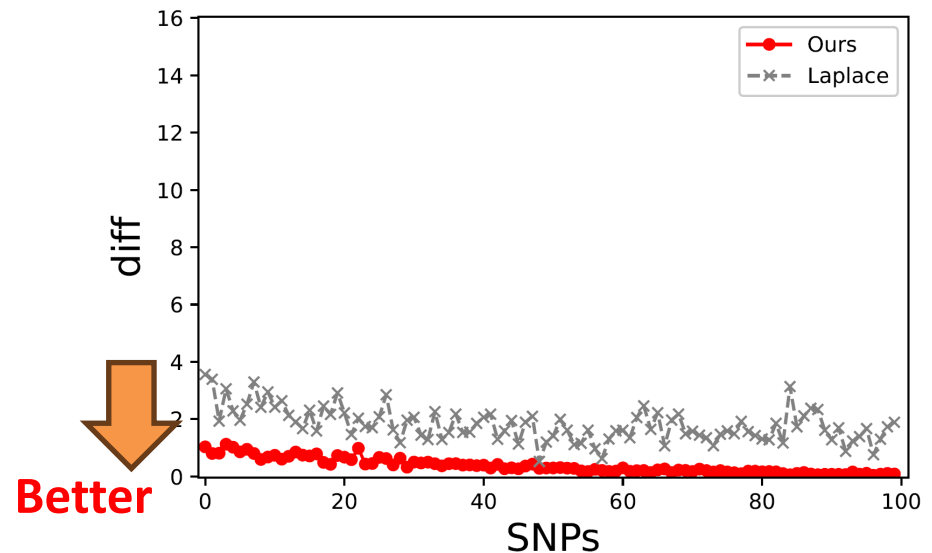


	Case	Control
Major	P'	Q'
Minor	R'	S'

	P	Q	R	S
P	$1 - 3\alpha$	α	α	α
Q		$1 - 3\alpha$	α	α
R			$1 - 3\alpha$	α
S				$1 - 3\alpha$

$$\left(\alpha = \frac{1}{e^\epsilon + 3}\right)$$

Distortion Matrix $\operatorname{Prob}(X \rightarrow Y)$



Cochran-Armitage Trend Test Accuracies

Assume a graph where

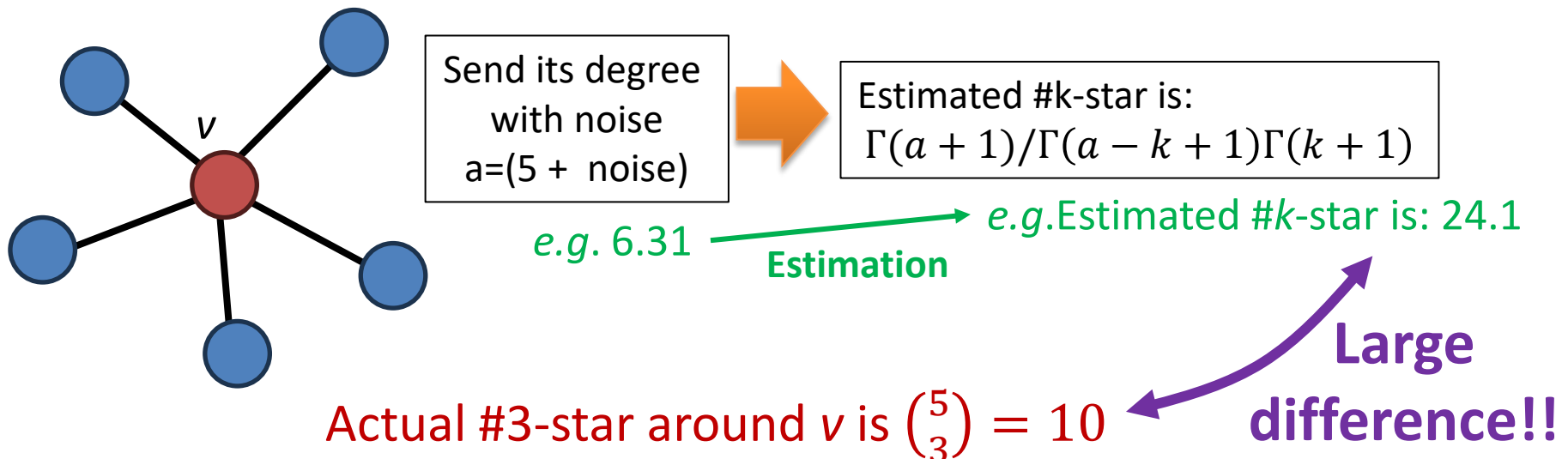
- ◆ Each vertex has its “sensitive” adjacency list

Problem

- ◆ Number of k -stars in graph

Strategy

- ◆ Each vertex provide its Laplace noise-added degree
- ◆ Compute number of k -stars based on the reported degrees



Tomaz's Theorem [Tomaz+ 10]

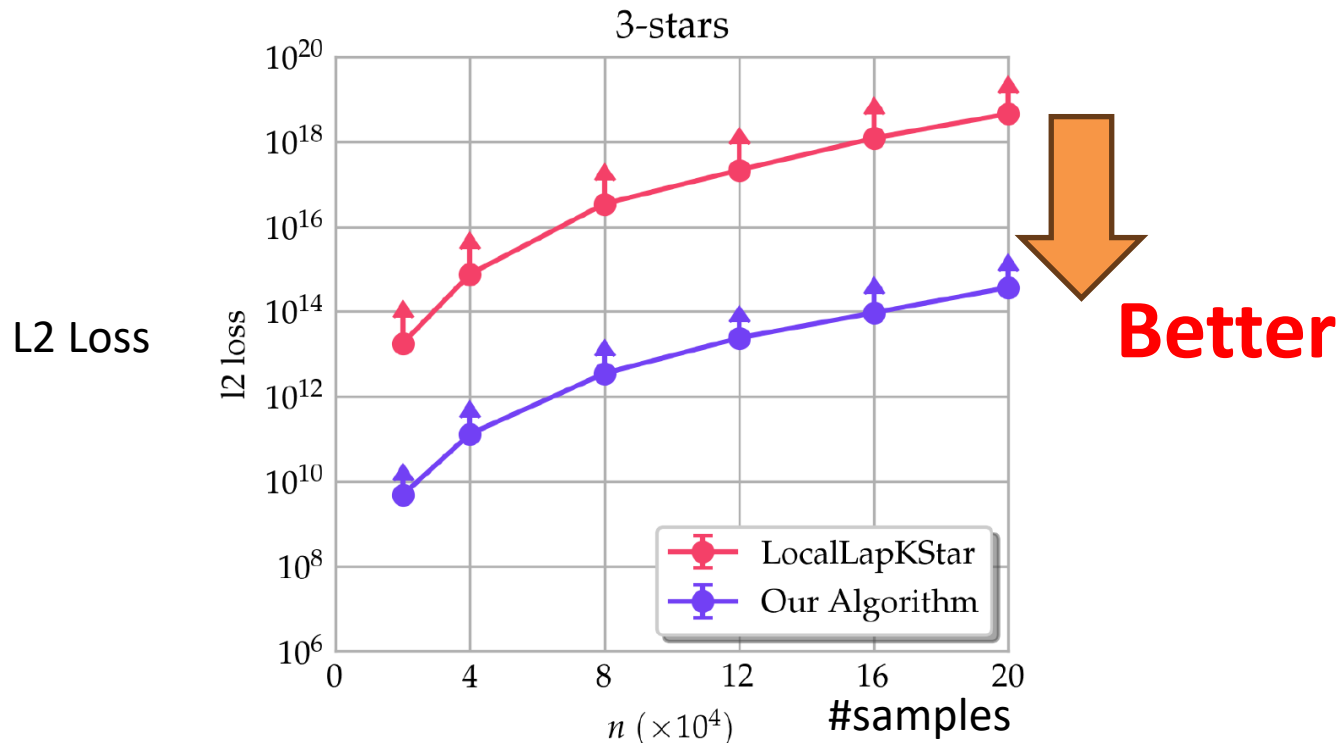
◆ The expected value of Laplace noise-added x^r

$$\blacktriangleright E((x + Lap(x, b))^r) = \sum_{k=0}^{\lfloor r/2 \rfloor} \frac{\Gamma(r+1)}{\Gamma(r-2k+1)} b^{2k} x^{r-2k}$$

Experiment

◆ Estimating #3-stars on IMDB datasets [Leskovec+ 14]

▶ (896,308 nodes / 57,064,358 edges)



Problem of finding the ‘optimal’ distortion table

Objective

- ▶ Minimize the entire privacy budget

Parameters

- ▶ $O(|\Sigma|^{2l})$ flip probabilities between all pair of $O(|\Sigma|^l)$ label strings
 - Σ : #label (= alphabet), l : #attributes (=string length)

Constraints

- ▶ Given different privacy budgets for different attributes
- ▶ ‘Reasonable’ flip probabilities

Different privacy requirements

ID	A	B	C	D	E	F	G
1	1	0	0	1	2	0	1
2	1	1	1	0	2	0	0
3	0	2	1	0	1	0	1
4	2	0	0	1	0	1	2
5	1	1	0	0	1	1	0

Linear Programming

Faster Heuristic

Objective

- Consider each data as a string $S_i \in |\Sigma|^l$
- Minimize the entire privacy budget
 - ◆ i.e., $\max_{ijkl} (p_{ij}/p_{kl}) \quad (i \neq j, k \neq l)$

	$S_1=000$	$S_2=001$	$S_3=010$	$S_4=011$	$S_5=100$	$S_6=101$	$S_7=110$	$S_8=111$
$S_1=000$	p_{11} No edit	p_{12}	p_{13}	p_{14}	p_{15}	p_{16}	p_{17}	p_{18} All edited
$S_2=001$		p_{22}	p_{23}	p_{24}	p_{25}	p_{26}	p_{27}	p_{28}
$S_3=010$			p_{33}	p_{34}	p_{35}	p_{36}	p_{37}	p_{38}
$S_4=011$				p_{44}	p_{45}	p_{46}	p_{47}	p_{48}
$S_5=100$					p_{55}	p_{56}	p_{57}	p_{58}
$S_6=101$						p_{66}	p_{67}	p_{68}
$S_7=110$							p_{77}	p_{78}
$S_8=111$								p_{88}

Distortion matrix for 3 binary attribute data

▣ Privacy budget ε_i for each attribute i is given

◆ e.g. $\sum_* P(100 \rightarrow *0*) / \sum_* P(100 \rightarrow *1*) \leq e^{\varepsilon_2}$

▶ The same for 000/001/101

	$S_1=000$	$S_2=001$	$S_3=010$	$S_4=011$	$S_5=100$	$S_6=101$	$S_7=110$	$S_8=111$
$S_1=000$	p_{11}	p_{12}	p_{13}	p_{14}	p_{15}	p_{16}	p_{17}	p_{18}
$S_2=001$		p_{22}	p_{23}	p_{24}	p_{25}	p_{26}	p_{27}	p_{28}
$S_3=010$			p_{33}	p_{34}	p_{35}	p_{36}	p_{37}	p_{38}
$S_4=011$				p_{44}	p_{45}	p_{46}	p_{47}	p_{48}
$S_5=100$					p_{55}	p_{56}	p_{57}	p_{58}
$S_6=101$						p_{66}	p_{67}	p_{68}
$S_7=110$							p_{77}	p_{78}
$S_8=111$								p_{88}

Distortion matrix for 3 binary attribute data

■ Larger edit (response) should be rarer

◆ e.g., $P(010 \rightarrow 01\underline{1}) \geq P(010 \rightarrow 0\underline{01})$

▶ which corresponds to edit transition $010 \rightarrow 01\underline{1} \rightarrow 0\underline{01}$

	$S_1=000$	$S_2=001$	$S_3=010$	$S_4=011$	$S_5=100$	$S_6=101$	$S_7=110$	$S_8=111$
$S_1=000$	p_{11}	p_{12}	p_{13}	p_{14}	p_{15}	p_{16}	p_{17}	p_{18}
$S_2=001$		p_{22}	p_{23}	p_{24}	p_{25}	p_{26}	p_{27}	p_{28}
$S_3=010$			p_{33}	p_{34}	p_{35}	p_{36}	p_{37}	p_{38}
$S_4=011$				p_{44}	p_{45}	p_{46}	p_{47}	p_{48}
$S_5=100$					p_{55}	p_{56}	p_{57}	p_{58}
$S_6=101$						p_{66}	p_{67}	p_{68}
$S_7=110$							p_{77}	p_{78}
$S_8=111$								p_{88}

Distortion matrix for 3 binary attribute data

■ The same editing probabilities for the same set of attributes

◆ regardless of labels

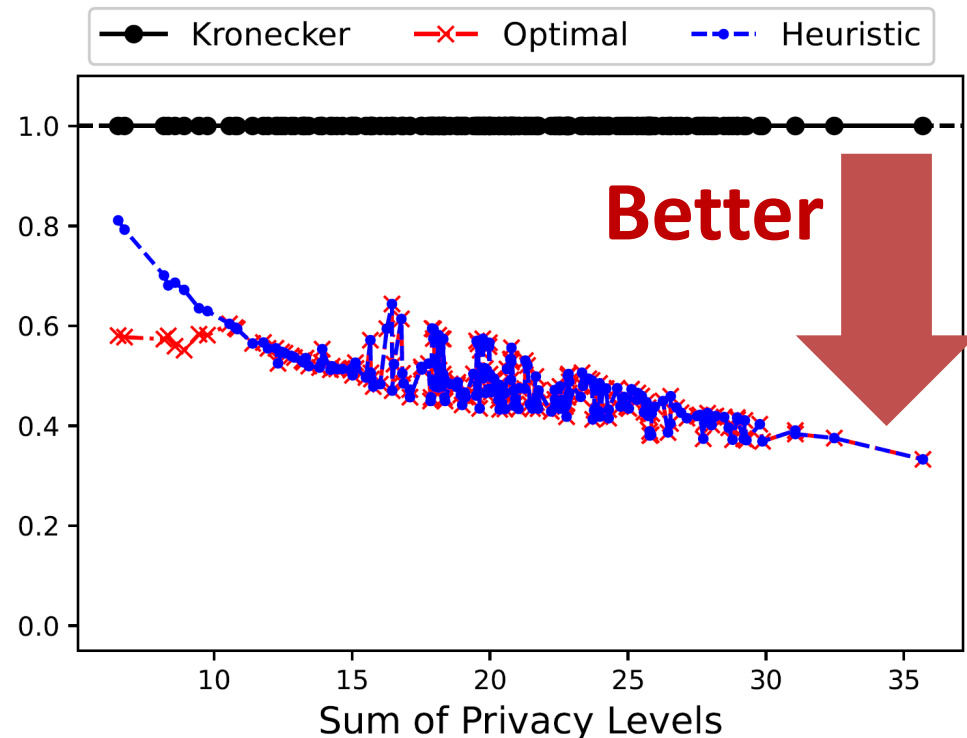
◆ e.g. $P(000 \rightarrow \underline{101}) = P(001 \rightarrow \underline{100}) = P(010 \rightarrow \underline{111}) = P(011 \rightarrow \underline{110})$

	$S_1=000$	$S_2=001$	$S_3=010$	$S_4=011$	$S_5=100$	$S_6=101$	$S_7=110$	$S_8=111$
$S_1=000$	p_{11}	p_{12}	p_{13}	p_{14}	p_{15}	p_{16}	p_{17}	p_{18}
$S_2=001$		p_{22}	p_{23}	p_{24}	p_{25}	p_{26}	p_{27}	p_{28}
$S_3=010$			p_{33}	p_{34}	p_{35}	p_{36}	p_{37}	p_{38}
$S_4=011$				p_{44}	p_{45}	p_{46}	p_{47}	p_{48}
$S_5=100$					p_{55}	p_{56}	p_{57}	p_{58}
$S_6=101$						p_{66}	p_{67}	p_{68}
$S_7=110$							p_{77}	p_{78}
$S_8=111$								p_{88}

Distortion matrix for 3 binary attribute data

- Entire privacy levels of the optimal distortion matrices
 - on randomly generated attribute privacy budgets
 - 5 attributes, $|\Sigma| = 5$, $1 \leq \varepsilon_i \leq 8$, 200 sets
- Our heuristic also achieves near-optimal privacy level

Entire Privacy
Level Ratio
($\times \sum_i \varepsilon_i$)



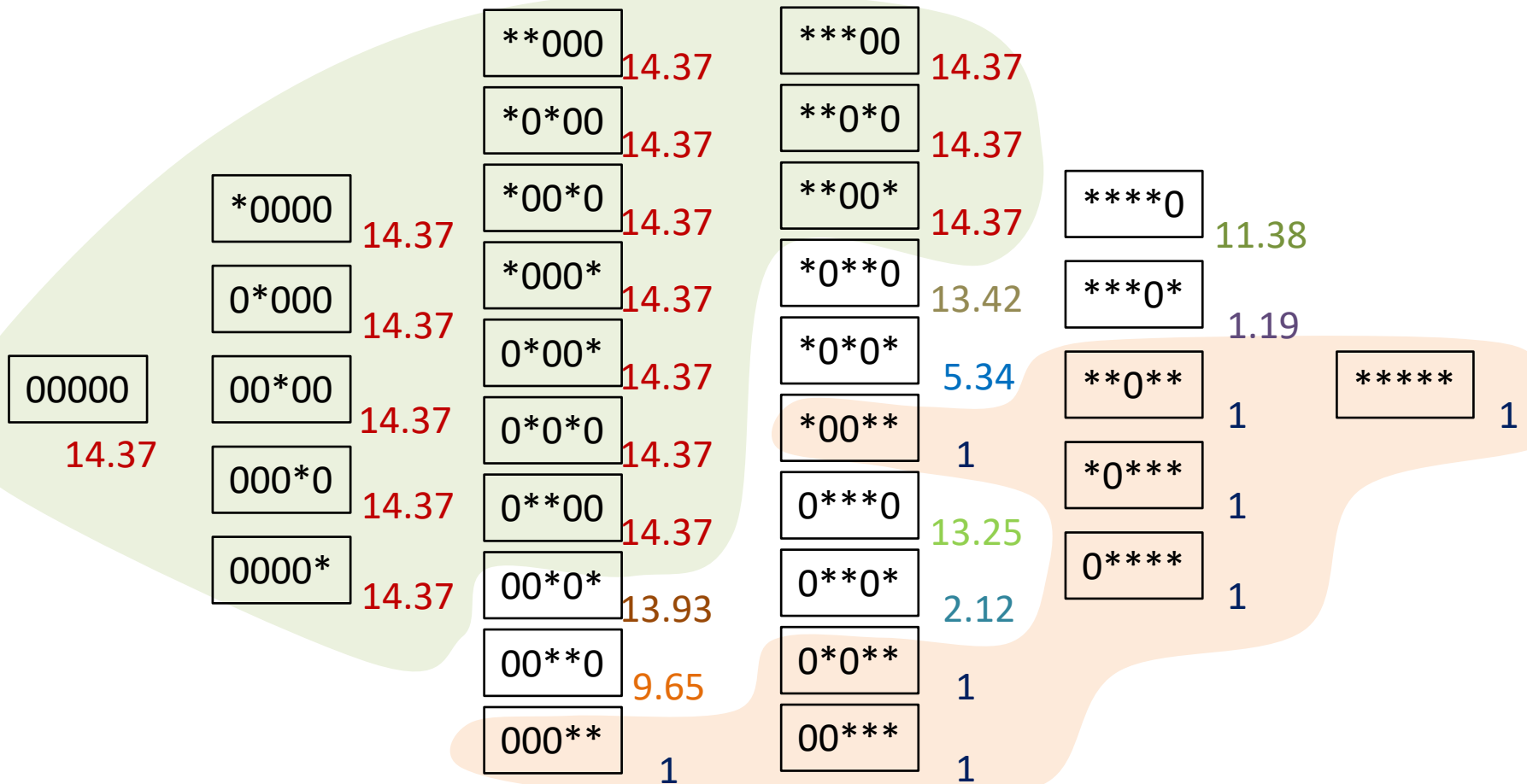
An Example of the Optimal Solution

Example Settings:

◆ 5 attributes, $|\Sigma| = 5$, $\varepsilon_1 = 0.1$, $\varepsilon_2 = 0.2$, $\varepsilon_3 = 0.5$, $\varepsilon_4 = 0.7$, $\varepsilon_5 = 2.0$

Optimal entire privacy level: $\varepsilon = 2.67 (= \ln 14.37)$

◆ Better than the simple strategy [Wang+ 16] where $\varepsilon = \sum_i \varepsilon_i = 3.5$



k-Anonymization: A Yet Another Privacy Preservation Technique

T. Shibuya

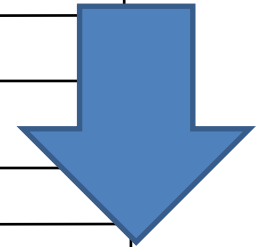
[Sweeney 2002]

■ To reduce risk of being identified

- ◆ 85% of the US citizens can be identified only by (birthdate/ZipCode/Sex) information [Sweeney 2002]

Name	Birthdate	Zip Code	Sex	Information
Alex Tokyo	19990123	108-8639	Male	...
Robert Kyoto	19990711	153-8902	Male	...
				$k=1$
				$k=1$

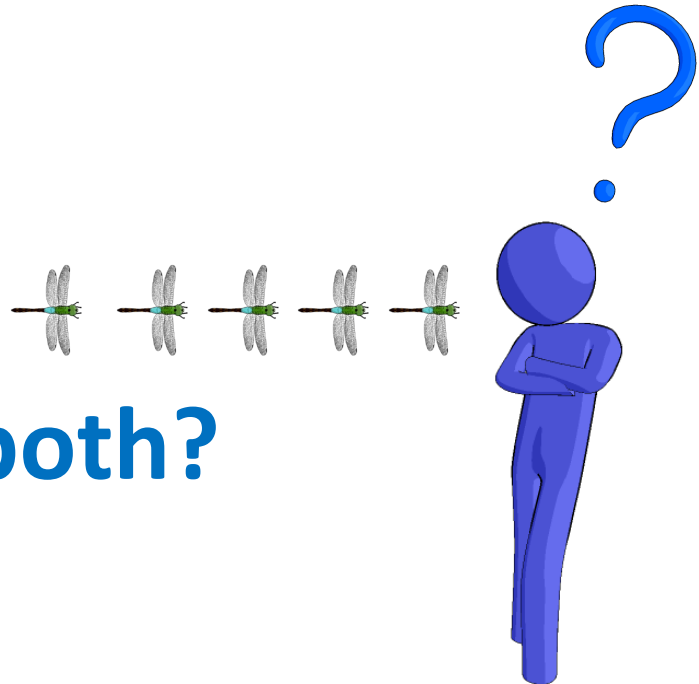
Name	Birthdate	Zip Code	Sex	Information
PB924CD	1999****	1**-8****	Male	...
AR325HB	1999****	1**-8****	Male	...
				$k=2$



2-Anonymization

- ▣ k -anonymization does not satisfy the differential privacy
- ▣ Differential privacy does not satisfy the k -anonymization
 - ◆ Noise added data can collide with the existing data in coincidence
 - ▶ It could cause a problem of false accusation

Can we satisfy both?



▣ Naïve algorithm ($kN+DP$)

- ◆ k -anonymization **BEFORE** differential private anonymization
 - ▶ k -anonymity not satisfied

▣ Naïve algorithm ($DP+kN$)

- ◆ k -anonymization **AFTER** differential private anonymization
 - ▶ Both anonymity satisfied, but **less accurate**
 - Due to the too 'high' privacy level

▣ Our algorithm ((ϵ, k) -anonymization)

- ◆ k' ($k' < k$)-anonymization first
 - ▶ To prevent accuracy loss in the final k -anonymization
- ◆ Then, Differential private anonymization
- ◆ k -anonymization, finally
 - ▶ Satisfies both anonymity, keeping accuracy

Experimental Results

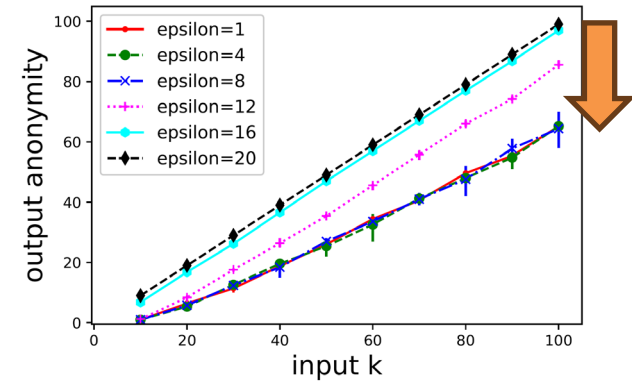
T. Shibuya

Data

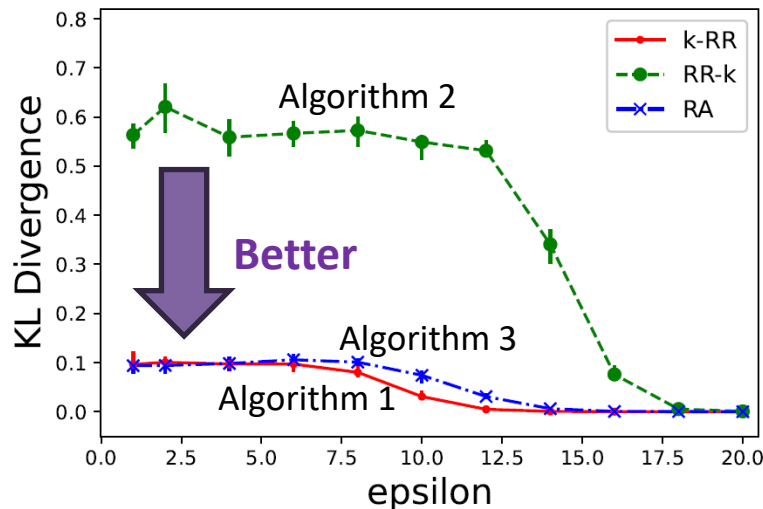
- ◆ 1,512, 673 entries, J-MIMO Medical Record 2021-3.

Results

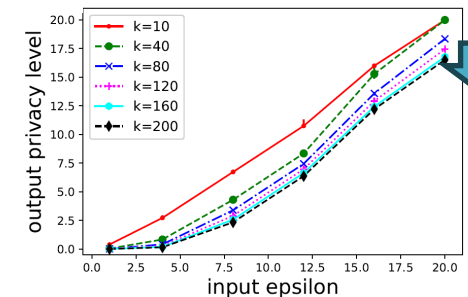
- ◆ $kN+DP$
 - ▶ k -anonymity not satisfied
- ◆ $DP+kN$
 - ▶ Privacy level increases unintentionally
 - which causes substantial loss of accuracies
- ◆ (ϵ, k) -anonymization
 - ▶ Very accurate, satisfying both properties



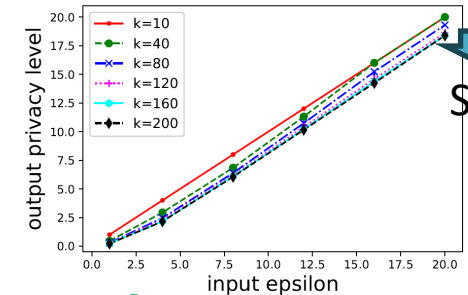
k -anonymity loss of $kN+DP$



Accuracies of the algorithms



$DP+kN$



(ϵ, k) -anonymization

Unintentional increase of privacy levels

■ Differentially private methods for biomedical data

- ◆ GWAS statistics publication
- ◆ Post-processing for local differential privacy
- ◆ Multiple attribute publication
- ◆ k -anonymization and differential privacy

■ For the CPM community 😊

- ◆ A string = A set of multiple attributes
- ◆ We could consider differential privacy on many CPM problem (preferably on sensitive data)
 - ▶ How to reduce noise (to a reasonable level)
 - ▶ How to debias

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Thank you very much!